

AT THE END OF THIS UNIT YOU WILL:		
Know vocabulary, notation, properties, formulas ...	Understand the big ideas ...	Be able to ...
<p>An expression is a mathematical statement involving variables, constants and operations. An equation “equates” two or more expressions.</p> <p>Working definitions of: term, like terms, coefficient, variable, monomial, binomial, polynomial, expression.</p> <p>Order of operations</p> <p>Factors represent lengths; products represent area.</p>	<p>Every automobile driver must follow the rules of the road to get somewhere, stay safe, and avoid crashes. The language of algebra – symbols, notation, rules, and properties – are like the rules of driving. They allow us to safely get somewhere mathematically using standard rules that we all agree on.</p> <p>Multiplication can be modeled as the area of a rectangle. (Equations and expressions model relationships.)</p> <p>Learning mathematics means learning to reason. Providing evidence of your reasoning process is just as necessary as your final answer. Show the steps of your work; you’ll have to do it in your profession.</p>	<p>Evaluate expressions involving exponents and the distributive property.</p> <p>Draw area models for expressions involving multiplication; and rewrite expressions using the area models as justification for equivalency (distributive property)</p> <p>Determine the expression representing the area of a figure.</p> <p>Determine the dimensions of a figure, given the expression representing the area.</p> <p>Rewrite expressions in equivalent forms using area models as justification for equivalency.</p> <p>Show the steps of your work.</p>

Unit Learning Standards and Scales

1	2	Target: 3	4
Evidence that I am proficient in evaluating expressions:			
I can use order of operations correctly most of time but not always. I am working on integer ops; the idea that add/subtr and mult/div each have equal priority; $2(3)^x$ means exponent, then multiply.	I am working toward being able to evaluate expressions correctly, but still have some misunderstandings.	I can evaluate expressions with multiple variables and exponents with positive integers.	I can evaluate complex expressions with nested grouping symbols, fractions, exponents and/or multiple variables.
Evidence that I can model multiplication with area:			
I can draw a rectangle and determine its area when the factors are integers. <i>e.g. Draw a rectangle whose sides are m and n. Determine its area.</i> I can determine the dimensions of the rectangle when its area is an integer.	I can draw a rectangle and determine its area when the dimensions are given in simple algebraic forms. (factors). <i>e.g. Draw a rectangle whose area is represented by the expression $2(x + 3)$</i> Given the area of figure, as a simple polynomial ("tiles"), I can determine the dimensions of the figure (factoring).	I can rewrite expressions in equivalent forms using an area model for justification (inventing the Distributive Property). I can draw a rectangle and determine its area, given the dimensions in algebraic form (factors). <i>e.g. Draw a rectangle whose area is represented by the $(3x + 1)(2x + 3)$ expression:</i> Given the area of figure, as a polynomial ("tiles"), I can determine the dimensions of the figure (factoring).	I can draw a rectangle and determine its area when the dimensions are given in complex algebraic forms. (factors). <i>e.g. $5x+1 = 1/2(10x+2)$</i> Given the area of figure, as a complex polynomial ("tiles"), I can determine the dimensions of the figure (factoring).
Evidence that I understand that the solution to a problem is the result of mathematical reasoning:			
I can write or verbalize the answer, not my solution process.	I can write or verbalize some evidence of my solution process, but it needs to be interpreted to fully understand my process.	I can write or verbalize complete evidence of my solution process.	I can write or verbalize organized and reliable evidence of my solution process and can justify the steps in my solution.